Bronze

- 1a. 9km = 900m corrected to 9km = 9.000m.
- 3,000g = 30kg corrected to 3,000g = 3kg or 30,000g = 30kg.
- 2a. False, True, True, True.
- 3a. 3kg < 4,000g, 3,000 > 2kg,
- 80km = 80,000m, 4,000m > 2km
- 4a. 8,000m
- 1b. 40,000m, 10,000m
- 2b. 2kg = 2,000g, 5,000g > 2kg,
- 5,000g > 2,000g
- 3b. Jack is not correct. $4 \times 500g = 2,000g$.
- 2,000g is equivalent to 2kg. $2 \times £3 = £6$ so
- 4 bunches of bananas would cost £6.00

Silver

- 5a. 700m = 7.0km corrected to 700m =
- 0.7km or 7,000m = 7.0km.
- 2.7kg = 27,000g corrected to 2.7kg =
- 2,700g or 27kg = 27,000g.
- 6a. True, True, False, False.
- 7a. 3.5kg < 5,500g, 31,000g > 27kg,
- 9.8km > 9,700m, 4,200m = 4.2km.
- 8a. 700g.
- 4b. First row: 0.5kg
 - Second row: 2.5kg
 - Third row: 2.3kg
- 5b. Various possible answers, for example:
- 3.9kg > 3.3kg, 3.3kg < 3,500g,
- 3,500 < 3.9kg.
- 6b. Ewan is not correct.
- 3 x 500g = 1,500g, which is equivalent to
- 1.5kg. $1.5 \times £2.80 = £4.20$.

Gold

9a. 3,500m = 3.05km corrected to 3,500m

= 3.5km or 3.050km = 3.05km.

0.43kg = 4,300g corrected to 0.43kg =

430g or 4.3kg = 4,300g.

10a. False, False, True, True.

11a. 6.78kg < 9,850g, 7,430m > 2.73km,

9,800m > 8.08km, 260m = 0.26km.

12a. 0.11km.

7b. First row: 4.74kg

Second row: 2.31kg

Third row: 6.15kg

8b. Various possible answers, for example:

3.7kg > 3.07kg, 3.7kg > 3,007g, 3.07kg >

3,007g

9b. Harrison is not correct.

10 pears would weigh 10 x 252g = 2,520g, which is equivalent to 2.52kg. 2.5kg would cost 2.5 x £1.90 = £4.75 so 2.52kg would cost more than £4.75.

Challenge

 Ryan is trying to work a route for his journey. He estimates the different lengths of various routes on a map.

Route I	engths.
2.62km	0.95km
1 1/5 km	2,150m
3,450m	6.11km
0.45km	1,980m
2 3/4 km	$\frac{1}{2}$ km





Using at least 6 different routes above, explore which combinations he could choose which would add up to less than 10km in total.

Various possible answers including: 0.95km, 1 1 km, 2,150m, 3,450m, 0.45km, 1 km

He has chosen to use 5 different routes. What is the longest route he could have chosen?

The longest route possible using only 5 routes: 6.11km, 3,450m, $2\frac{3}{4}$ km, 2.62km, 2,150m = 17.08km

2. Walter is trying to lose weight for a swimming competition. His current weight is 80.87kg and needs to be between 79kg to 79.5kg.

He has 2 weeks and can do one activity each day but needs to rest at least one day each week.

Activity	Weight Difference
Circuit Training	- 290g
Rowing	- 0.14kg
Skipping	- 180g
Swimming	- A quarter of a kilogram
Football	- 4/5 of 350g
Running	- 0.23kg
Rest day	+ 410g



What activities could be choose to do? You must use at least 4 different activities for each week?

Various possible answers including: Week 1: Circuit training, rowing, skipping, swimming, rowing, circuit training, rest day. Week 2: Football, rowing, skipping, swimming, skipping, running, rest day. New weight: 79.14kg